



The criteria were given by means of stresses, therefore we express the problem through the stresses. For that, taking into account (1) and (5), we obtain the following system

$$\begin{pmatrix} \sigma_{xx} \\ \sigma_{yy} \\ \tau_{xy} \end{pmatrix} = \frac{E}{(1+\nu)} \begin{pmatrix} u_x + \nu w_z \\ v_x + \nu w_y \\ -\nu(u_x + w_z) \end{pmatrix}$$

where  $\sigma_{xx}, \sigma_{yy}, \tau_{xy}$  are the components of the stress tensor;  $u, v, w$  are the displacements along the axes  $Ox, Oy, Oz$  respectively.

This system of equations with equilibrium equation (6) forms by stress component an isolated system of equations. As was noted, in the system Analytical solving of (6) is very difficult therefore here numerical method and finite net method were applied. For that we pass from infinite half-plane onto finite rectangle. Its incremental dimensions are defined during the numerical computations. Damaging operator is of the form,



Figure 1: M

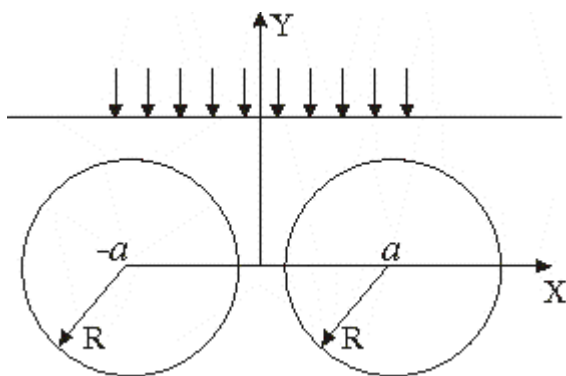


Figure 2:

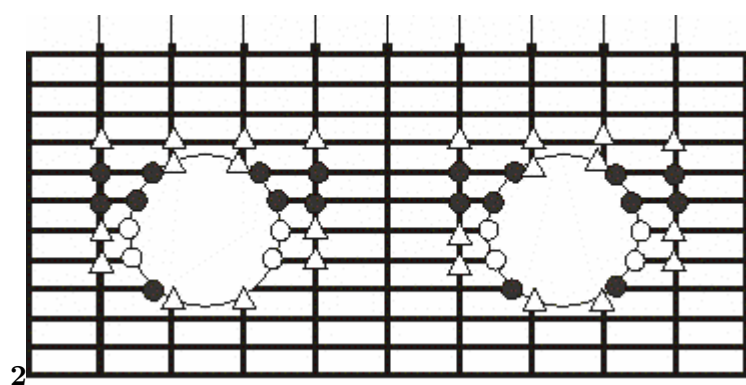


Figure 3: Figure 2 .



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